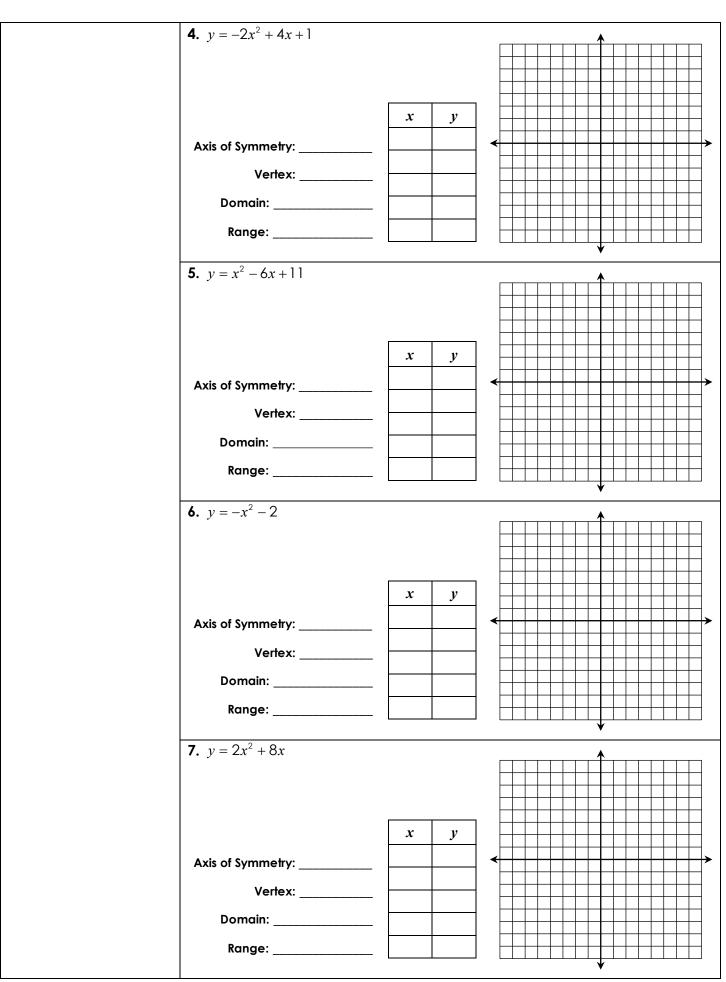
Name:	Date:					
Topic:	Class:					
Main Ideas/Questions	Notes/Examples					
Standard Form	Standard Form of a Quadratic Equation:					
araph	When graphed, a quadratic equation creates a  U-shaped curve called a					
Types of Parabolas	Use your graphing calculator to sketch the following: $y = x^2 + 2x - 5$ $y = -x^2 + 3x + 7$ $ f'a'  \text{ is, then the parabola opens, like a smile. } \bigcirc$ $ f'a'  \text{ is, then the parabola opens, like a frown. } \bigcirc$					
talements	Formula for the axis of symmetry:					
VERTEX	<ul> <li>When the vertex is the <u>lowest point</u>, it is called a</li> <li>When the vertex is the <u>highest point</u>, it is called a</li> </ul>					
EXAMPLE	Find the axis of symmetry and vertex, then sketch each parabola.					
<b>1.</b> $y = x^2 + 8x + 15$	Axis of Symmetry: Vertex: Sketch:					

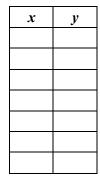
<b>2.</b> $y = -x^2 + 10x - 23$	Axis of Symmetry:	Vertex:	Sketch:	
$3. y = 3x^2 - 12x + 5$	Axis of Symmetry:	Vertex:	Sketch:	
<b>4.</b> $y = 4x^2 + 8x - 1$	Axis of Symmetry:	Vertex:	Sketch:	
<b>5.</b> $y = -x^2 - 4x - 2$	Axis of Symmetry:	Vertex:	Sketch:	
<b>6.</b> $y = -3x^2 - 24x - 42$	Axis of Symmetry:	Vertex:	Sketch:	
<b>7.</b> $y = -x^2 + 4x$	Axis of Symmetry:	Vertex:	Sketch:	
<b>8.</b> $y = x^2 - 3$	Axis of Symmetry:	Vertex:	Sketch:	
<b>9.</b> $y = -2x^2 + 8$	Axis of Symmetry:	Vertex:	Sketch:	
	Î.			

Name:			Date:					
Topic:			Class:					
Main Ideas/Questions Notes/Examples								
	Find the axis of symme	netry.						
Steps to Graph a	2 Find the vertex.	Find the <b>vertex</b> .						
QUADRATIC EQUATION	Put the vertex in the minusing your calculator.	Put the vertex in the middle row of the table. Fill in a table of values using your calculator.						
	Plot the points and cor	Plot the points and connect them into a smooth parabola!						
EXAMPLES	<b>Directions:</b> Graph each quo of symmetry, vertex, domain			sing a table. Identify the axis				
	1. $y = x^2$ Axis of Symmetry:  Vertex:  Domain:  Range:  2. $y = x^2 + 2x - 1$ Axis of Symmetry:  Vertex:  Domain:  Range:  3. $y = -x^2 - 8x - 17$	- X						
	3. $y = -x - 0x - 17$	x	·					
	Axis of Symmetry:	-		<b>*</b>				
	Vertex:							
	Domain:							

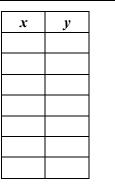


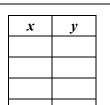
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Topic:	Class:

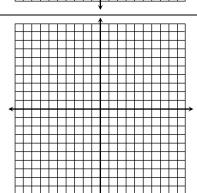
ivanie.		Class:				
Topic:						
Main Ideas/Questions	Notes/Examples					
QUADRATIC ROOTS						
also called						
	2 SOLUTIONS	1 SOLUTION	NO SOLUTION			
NUMBER OF SOLUTIONS	<b>←</b>	<b>←</b>	<b>←</b>			
<b>EXAMPLES</b> Find the solutions of the following quadratic equations by graphing.	<b>1.</b> $y = x^2 + 4x - 5$					
Solutions: 1						
2	<b>2.</b> $y = x^2 - 2x + 1$	$\begin{bmatrix} x & y \end{bmatrix}$				



**3.** 
$$y = -x^2 + 2x - 3$$







## **Solutions:**

4. \_\_\_\_\_

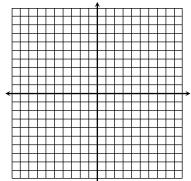
5. \_\_\_\_\_

6. \_\_\_\_\_

4	1,	_	$r^2$	_	1	N	r	+	1	6
т.	v	_	л	_	т,	v	л	$\top$	т,	v

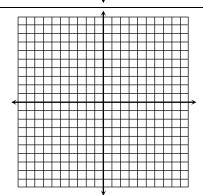
x	у



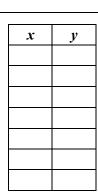


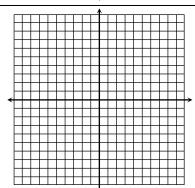
**5.** 
$$y = -x^2 + 9$$

x	y



**6.** 
$$y = -3x^2 + 6x$$





## THE DISCRIMINANT

Formula:

- $\succ$  If d > 0, then there are \_\_\_\_ solutions.
- $\succ$  If d = 0, then there are \_\_\_\_ solutions.
- $\succ$  If d < 0, then there are \_\_\_\_ solutions.

## **EXAMPLES**

Use the discriminant to determine the number of solutions.

- **7.**  $y = x^2 + 5x + 4$
- ☐ 2 solutions
  - ions
- □ 1 solution□ 0 solutions
- **8.**  $y = x^2 3x + 10$
- 2 solutions
- □ 1 solution□ 0 solutions

- **9.**  $y = x^2 + 10x + 25$
- 2 solutions1 solution

O solutions

- **10.**  $y = 2x^2 4x 3$
- 2 solutions
- □ 1 solution□ 0 solutions

- **11.**  $y = 4x^2 12x + 9$
- ☐ 2 solutions
  - tions
- □ 1 solution□ 0 solutions
- **12.**  $y = -3x^2 + 5x 8$
- ☐ 2 solutions
- ☐ 1 solution
- O solutions