| Name: | Class: |
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| Торіс: | Date: |

| Main Ideas/Questions | Notes | | | | |
|----------------------------|--|--|--|--|--|
| Angles in Standard Form | An angle on the coordinate plane is in standard form when the vertex is on the origin and one ray lies on the positive x-axis. | | | | |
| 90° | The ray on the <i>x</i> -axis is called the | | | | |
| $\checkmark \qquad \theta$ | The other ray is called the | | | | |
| | Counterclockwise rotations result in angle measures. | | | | |
| | Clockwise rotations result in angle measures. | | | | |
| ↓ 270° | One full revolution = | | | | |
| Drawing Angles | Directions: Sketch an angle with the given measure in standard position. | | | | |
| | 1. 75° \downarrow \downarrow \downarrow \downarrow \downarrow \downarrow \downarrow \downarrow | $ \begin{array}{c} y \\ y \\ \hline \end{array} \\ x \\ \end{array} \qquad \begin{array}{c} \textbf{3. 430}^{\circ} \\ y \\ \hline \end{array} \\ x \\ \end{array} \qquad \begin{array}{c} y \\ \hline \end{array} \\ x \\ \end{array} \\ x \\ \end{array} $ | | | |
| Radians vs. | A radian is a unit of angle measure based on arc length. | | | | |
| Degrees | One radian is defined as the measure of the angle formed when the radius is equivalent to the length of the intercepted arc | | | | |
| rr | Recall that the circumference of a circle is $2r\pi$, therefore: | | | | |
| θ | 360° =; 180° = | | | | |
| $\theta = 1$ radian | Converting Degrees → Radians | Converting Radians \rightarrow Degrees | | | |
| | Radians = Degrees $\cdot \left(\frac{\pi \text{ radians}}{180}\right)$ | Degrees = Radians $\left(\frac{180}{\pi \text{ radians}}\right)$ | | | |
| Dearees → | Directions: Convert each measure to radians. | | | | |
| Radians | 4. 30° 5. 150° | 6. -220° | | | |
| Dadiana | Directions: Convert each measure to dearees. | | | | |
| Ruuluins → Degrees | 7. $\frac{4\pi}{2}$ 8. $-\frac{5\pi}{2}$ | 9. $\frac{7\pi}{.}$ | | | |
| 209.000 | 3 36 | 4 | | | |
| | | | | | |
| | | | | | |

| Coterminal Angles | Angles in standard position with the same terminal side are coterminal angles . Give two coterminal angles for each given angle, one positive and one negative: | | | | |
|---|---|---|---------------------------------|--|--|
| y $90^{\circ}\left(\frac{\pi}{2}\right)$ | 10. 65° 11. 540 | | | | |
| $-270^{\circ}\left(-\frac{3\pi}{2}\right)$ | 12. $\frac{13\pi}{18}$ 13. $\frac{14\pi}{9}$ | | | | |
| Reference Angles | For an angle θ in standard form, the reference angle is the positive acute angle form by the terminal side and the <i>x</i> -axis. Sketch and find the reference angles for each angle: | | | | |
| Reference Angle | 14. 225° y | 15. -310° | 16. $\frac{2\pi}{3}$ y | | |
| | Let θ be an angle in stand | dard form and $P(x, y)$ be a | ↓ point on the terminal side | | |
| Trig Functions | of θ . The distance from <i>P</i> to the the origin, <i>r</i> , can be found using the formula: | | | | |
| $\begin{array}{c} y \\ y \\ \end{array} \xrightarrow{r} \\ x \\ \end{array} \xrightarrow{\theta} \\ x \\ \end{array} x$ | $sin \theta =$ | $\cos \theta =$ | $tan \theta =$ | | |
| Ļ | $csc \theta =$ | sec θ = | $\cot \theta =$ | | |
| $\leftarrow \qquad \qquad$ | 17. <i>P</i> (5, -2) is a point on exact values of the tri | the terminal side of θ in st gonometric functions of θ : | andard form. Find the | | |
| | $sin \theta =$ | $\cos \theta =$ | $tan \theta =$ | | |
| | $csc \theta =$ | sec θ = | $\cot \theta =$ | | |